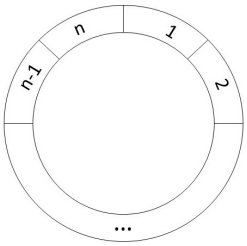
Problem G
Mingle
Time limit: 1 second

You and your friends are playing the popular childhood game, Mingle.

In the game of Mingle, n players start by standing on a spinning circular platform in the middle of a circular arena. Each player has a unique number ranging from 1 to n, and there are n rooms also with unique numbers from 1 to n arranged on the perimeter of the arena. The rooms are in numerical order, with room n also being adjacent to room 1.



Cheerful music plays for a few seconds, and then the music stops, the circular platform stops spinning, and everyone has to run into a room. Initially, each player tries to target the room with the same number as their number, but because of the spinning, everyone is disoriented. As a result, player i might enter a different room. Notably, the players have a disorientation factor of k, which is the same for all players, and player i might enter a room that is up to k rooms away from their target room. All $2k + 1$ candidate rooms are equally likely for each player and all players select their rooms independently. Every player who ends up alone in a room is a winner in that round of Mingle, even if the room's number is not the same as the player's number.

Compute the expected number of winners in a single round of Mingle.

Input

The first and only line of input contains two integers, n ($3 \le n \le 456$), and k ($1 \le k \le \frac{n-1}{2}$), where n is the number of players playing, and k is the disorientation factor of the players.

Output

Let w be the expected number of winners in a single round of Mingle. It can be shown that w can be written as $\frac{a}{b}$ for relatively prime positive integers a and b. Output $ab^{-1} \pmod{998244353}$.

Sample Input 1	Sample Output 1
3 1	332748119