Problem I
Red Black Tree

You are given a rooted tree with n nodes. The nodes are numbered $1..n$. The root is node 1, and m of the nodes are colored red, the rest are black.

You would like to choose a subset of nodes such that there is no node in your subset which is an ancestor of any other node in your subset. For example, if A is the parent of B and B is the parent of C, then you could have at most one of A, B or C in your subset. In addition, you would like exactly k of your chosen nodes to be red.

If exactly m of the nodes are red, then for all $k = 0..m$, figure out how many ways you can choose subsets with k red nodes, and no node is an ancestor of any other node.

Input

Each input will consist of a single test case. Note that your program may be run multiple times on different inputs. Each test case will begin with a line with two integers n ($1 \leq n \leq 2 \times 10^5$) and m ($0 \leq m \leq min(10^3,\ n)$), where n is the number of nodes in the tree, and m is the number of nodes which are red. The nodes are numbered $1..n$.

Each of the next $n - 1$ lines will contain a single integer p ($1 \leq p \leq n$), which is the number of the parent of this node. The nodes are listed in order, starting with node 2, then node 3, and so on. Node 1 is skipped, since it is the root. It is guaranteed that the nodes form a single tree, with a single root at node 1 and no cycles.

Each of the next m lines will contain single integer r ($1 \leq r \leq n$). These are the numbers of the red nodes. No value of r will be repeated.

Output

Output $m + 1$ lines, corresponding to the number of subsets satisfying the given criteria with a number of red nodes equal to $k = 0..m$, in that order. Output this number modulo $10^9 + 7$.

Sample Input 1

```
4 1
1
1
1
3
```

Sample Output 1

```
5
4
```

Sample Input 2

```
4 4
1
1
1
1
2
3
4
```

Sample Output 2

```
1
4
3
1
0
```

Sample Input 3

```
14 4
1
2
1
2
3
4
5
5
13
8
10
4
4
8
3
12
13
```

Sample Output 3

```
100
169
90
16
0
```